

Aston Lab for Intelligent Collectives Engineering

Modelling and Optimization of Non-Linear Complex Systems

Elizabeth Wanner | Aston University e.wanner@aston.ac.uk August 28, 2019 August 28, 2019



Biopic

- BSc in Mathematics
- MSc in Pure Math: Topology and Dynamic Systems
- PhD in Electrical Engineering

Actual position

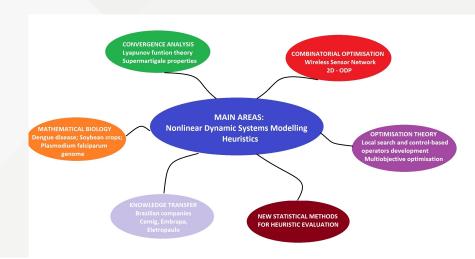
- Senior Lecturer Dept of Computer Science
- Deputy HoD

Research Activities

- Multi-disciplinary group: ALICE
- Inter-departmental cooperation
- Collaborations: UFMG, UFOP, LNCC, USP, Portugal, UK (Manchester, Sheffield, York), Germany, Belgium
- Collaborative work with some industries: CEMIG, EMBRAPA, ARCUS, Smart Apprentices

Research Areas of Interest





Agenda



- Dengue Control
- Phoneme Aware Speech Recognition
- The Security Constrained Optimal Power Flow Problem
- Optimization Algorithm Design



- Major public health problem in tropical and subtropical regions around the world.
- 3.9 billion of human beings lived in risky regions, 390 million of infections per year (WHO).
- Brazil: an important epidemic disease; the most important viral disease (WHO).

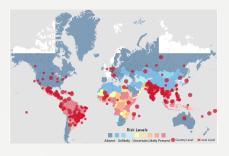


Figure: Centers for Disease Control and Prevention, 2018

Life cycle of Aedes aegypti



- Two stages: immature (eggs, larvae and pupae) and adult (adult mosquitoes)
- Females lay eggs in standing water:
- Humans are infected when bitten by feeding infectious females;
- Suceptible mosquitoes infected when feeding on infectious humans.

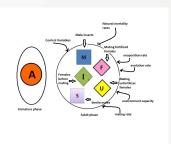


- Chemical control:
 - pesticide
- Biological Control:
 - sterile males
- ◆ Cost: U\$ 500 m/year
 ⇒ To combine pesticide control with sterile male technique

Mathematical Model with Control Action



Mathematical Model to analyse the economic cost of these controls:



Cost Function:

$$J[u] = \frac{1}{2} \int_0^T (c_1 u_1^2 + c_2 u_2^2 + c_3 F^2 - c_4 S^2) dt$$

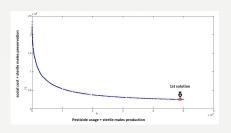
- c₁ pesticide cost
- c₂ sterile males production cost
- c₃ social cost
- c₄ sterile males preservation cost
- Current situation:
 - low values $(c_1 \ c_4)$, very high value (c_3) , high value (c_2)
- Control variables: constant in time



Using only one cost function:

- Obtained result is almost 100% better than the previous results
- Obtained policy: releasing less sterile males in the environment and using the same amount of pesticide
- Conclusion: minimization of the economic cost but with a reduced benefit for the society

• Using two different cost function



Phenome Aware Speech Recognition



Voice Assistants:

- Many applications
- Increasing worldwide usage
- Several language-dependent key issues
 - Finnish, Italian and Spanish: simple
 - English: not really!
- GOAL: an approach to speech recognition via the phonemic structure of the morphemes rather than classical word and phrase recognition techniques

The Speech Recognition Problem



- Acoustic signals analysed and structured into a hierarchy of units
 - phonemes, words, phrases and sentences
- Source of variability:
 - pronunciation
 - accent
 - articulation
 - nasality

- Spelling issues
 - same sound: many letters or combination of letters (he and people)
 - same letter: a variety of sounds (father and many)
 - a combination of letters: a single sound (<u>sh</u>oot and <u>ch</u>aracter)
 - a single letter: a combination of sounds (xerox)
 - some letters not pronounced at all (sword and psychology)
 - no letter representing a sound (<u>cu</u>te)

Diphthong vowels in spoken English

Symbol	English Example
I9	Near, ear, clear, fear
eə	Hair, there, care
еі	Face, space, rain, case, eight
OI IC	Joy, employ, toy, oyster.
aı	M y , s i ght, pr i de, k i nd, fl igh t
อช	No, don't, stone, alone
au	Mouth, house, brown, cow, out

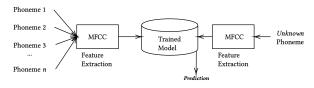
- Pronunciation of foreign words with a local dialect replaces its natural phonetic structure
 - phoneme errors seriously degrade the intelligibility of speech



- Main Idea: to classify phonemes in speech, considering their temporal occurrence and transcribe the speech even with words unseen due to the retention of the word's phonetics
- Methodology
 - Data Collection and Attribute Generation
 - · audio recordings of diphthong vowels gathered
 - seven phonemes, ten times each, 420 individual clips
 - sliding window introduced to extract the Mel-Frequency Cepstral Coeficient data from audio

Gender	Age	Accent Locale
М	22	West Midlands, UK
F	19	West Midlands, UK
F	32	London, UK
М	24	Mexico City, MX
F	58	Mexico City, MX
М	23	Chihuahua, MX

Training and Prediction phase



- 10-fold cross validation
- overall accuracy
- 500 epochs of training time
- learning rate of 0.3 and a momentum of 0.2.
- Accuracy Maximisation
 - optimising the MLP ANN using the DEvo approach
 - number of layers [1,5]
 - number of neurons in each layer [1, 100]

A Comparison Model Training Time for Produced Models Post-Search

Hidden Markov Model

- 25: 25: 175 hidden units
- 150 hidden unit: best accuracy result (86.23%)

Obtained Topologies

- *S*1: L (1); N (21); A (87.5%)
- *S*2: L (1); N (25); A (88.3%)
- *S*3: L (3); N (30, 7, 29); A (88.84%)

Time in Cross-Validation

- # of layers increases (1 \rightarrow 3) from one to three, the accuracy increases (88.3% \rightarrow 88.84%) and time increases (720.71 s \rightarrow 1,460.44 s)
- Advantage?
 - one hidden layer
 - S4, S5 and $S6 \rightarrow 57$, 50 and 51 N

CE+EPSO: a merged approach to solve SCOPF problem



- Large-scale global optimization (LSGO) problems:
 - practical applications: aerospace, biomedicine and power systems
 - difficulty in finding the optimum in high-dimensional spaces
- 2018 Competition & Panel: Emerging heuristic optimization algorithms for operational planning of sustainable electrical power systems
- find the most promising algorithm
- new insights on how to tackle these problems
- solve the benchmarks as black-box problems

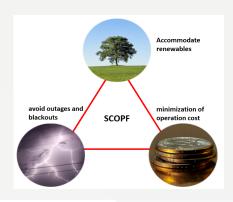


- Test bed 1: Stochastic OPF in Presence of Renewable Energy and Controllable Loads
 - CE + EPSO (Cross-Entropy Method and Evolutionary Particle Swarm Optimization)
 - EE-CMAES (Entropy Enhanced Covariance Matrix Adaptation Evolution Strategy)
- Test bed 2: Dynamic OPF in Presence of Renewable Energy and Electric Vehicles
 - CE + EPSO (Cross-Entropy Method and Evolutionary Particle Swarm Optimization)
 - SNA (Shrinking Net Algorithm)



The Security Constrained Optimal Power Flow (SCOPF) Problem

- a nonlinear, non-convex, LSGO
- continuous and discrete variables
- tool for many transmission system operators: planning, operational planning and real-time operation
- balancing the greed, the fear and the green



Structure of the optimization problem

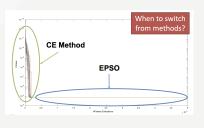


- Objective function
 - minimization of operational cost
- · Equality constraints
 - Physical flows in the network (power flow)
- Inequality constraints
 - Safety margin to provide stability, reliability
- N − 1 Security Criterion
 - System with N components should be able to continue operating after any single outage

Approach



- Combination of two optimization methods
 - Cross Entropy (CE) method: exploration
 - Evolutionary Particle Swarm Optimization (EPSO): exploitation
- Challenge: Switch from CE method to EPSO



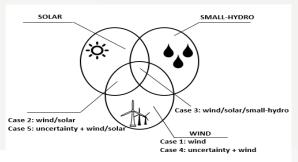
- 1. Trial & Frror
- 2. Track the rate of improvement of the best fitness, switch when the rate becomes inferior a given threshold
- Monitor the variance of the CE Method sampling distributions
 - variance can decrease very slowly without affecting the function

Test Beds in IEEE 57 Bus System



Test Bed A:

- Feasible solutions are difficult to obtain since the production in each period can be highly conditioned by the production in the adjacent periods
- Combinations of renewable energy sources and controllable loads:



Results for Test Bed A (in \$/h)



	Best	Worst	Mean
CE+EPSO	80.732,46	81.547,19	81.077,07
CE+EPSO	67.709,06	68.923,91	68.473,43
CE+EPSO	55.245,86	56.683,60	55.935,62
CE+EPSO	84.382,21	84.880,76	84.442,94
CE+EPSO	71.044,22	71.128,74	71.065,91
CE+EPSO	359.113,81	363.164,20	360.994,97
EE-CMAES	360.211,11	361.990,28	361.326,93
	CE+EPSO CE+EPSO CE+EPSO CE+EPSO	CE+EPSO 80.732,46 CE+EPSO 67.709,06 CE+EPSO 55.245,86 CE+EPSO 84.382,21 CE+EPSO 71.044,22 CE+EPSO 359.113,81	CE+EPSO 80.732,46 81.547,19 CE+EPSO 67.709,06 68.923,91 CE+EPSO 55.245,86 56.683,60 CE+EPSO 84.382,21 84.880,76 CE+EPSO 71.044,22 71.128,74 CE+EPSO 359.113,81 363.164,20

In an annual projection, CE+EPSO saves approximately **US \$3** million compared to EE-CMAES.

Test Beds in IEEE 57 Bus System



Test Bed B:

- The electric vehicles are dissociable units (V2G or G2V)
- Total fuel cost of traditional generators, the expected uncertainty cost for renewable energy generators and the uncertainty cost for electric vehicles
- ullet 6 imes 130 optimization variables: 107 c, 9 d and 14 b
- 492 constraints for each N-1 contingency condition

Results of Test Bed (B) (in \$/h):

		Best	Worst	Mean
Test Bed 2	CE+EPSO	773.193,77	823.684,44	789.719,58
	SNA	1.172.100,00	1.878.123,00	1.518.700,00

Optimization Algorithm Design: A control Engineering Perspective



Nature-inspired metaheuristics:

- Historically
 - Metaphor-driven design
 - New mechanisms or operator accompanied by new parameters
 - Performance not the main concern
- Currently
 - Practice emphasises raw performance, hard problems, very elaborate algorithms - not amenable to analysis...

BIG GAP

• Theory emphasises *asymptotic* behaviour, easy problems, very simple algorithms - not competitive in practice...

Dynamical Systems



Most optimization algorithms are deterministic discrete dynamical systems:

$$x_{t+1} = F(t, x_t, u_t)$$

where:

- $t \in \mathbb{N}$ is the time (or iteration) index
- x_t S is the system state (vector) at time t
- *S* is the state space
- $u_t \in \mathbb{R}^p$ is, a possible random, input vector (of size p)
- $F: \mathbb{N} \times S \times \mathbb{R}^p \leftarrow S$ is the state-transition function

If there is a point x^* such that $F(t, x^*, u) = x^*$ for all $t \in \mathbb{N}$ and a constant input u, it is called a *point of equilibrium* of the system (for that input).

Parameter Tuning



- Algorithm parameters subject to online adaptation become state variables of the algorithm
- Typically, new (static) parameters are introduced, such as adaptation rates
- In the presence of random inputs, the state becomes a stochastic process
- The control design problem consists in determining the (fixed) parameters that minimize some cost function of the system state trajectory
- Analysis requires that the algorithm be designed with tractability in mind
- Solving the control design problem numerically is perfectly acceptable

Adaptive $(1, \lambda)$ -ES Formulation

$$x_{t+1} = F(x_t, d_t, \mu_{1,t+1}, \dots, \mu_{\lambda,t+1})$$

$$= \underset{x \in \{x_{i,t} = x_t + \mu_{i,t+1} d_t, i = 1, \dots, \lambda\}}{\arg \min} f(x)$$

$$d_{t+1} = G(x_t, d_t, \mu_{1,t+1}, \dots, \mu_{\lambda,t+1})$$

$$= \begin{cases} \alpha_f \cdot d_t \text{ if } f(x_{t+1}) > f(x_t) \\ \alpha_s \cdot d_t \text{ if } f(x_{t+1}) \le f(x_t) \end{cases}$$

$$x_t \in \mathbb{R}, d_t \in]0, +\infty[$$

$$u_{1,t}, \dots, u_{\lambda,t} \approx \mathcal{U}(-1, 1)$$

$$\alpha_s \in [1, +\infty[, d_t \in]0, +\infty[$$

• The sphere model is considered in the analysis. In particular, f(x) = |x|.

Rate of Convergence



In this case, a Lyapunov synthesis procedure amounts to maximizing a constant *a*, such that:

$$E^{A_t}(V_{t+1}) \leq V_t - a$$

for all x_t and d_t , where

$$V_t = V(x_t, d_t) = ln(|x_t| + wd_t) - k ln(d_t)$$

 $w, k \in \mathbb{R}$, w > 0, and 0 < k < 1.

- The Lyapunov function $V(x_t, d_t)$ is such that convergence of V_t to $-\infty$ implies convergence of $|x_t|$ to the minimum of f(x) and of d_t to zero.
- Algebraic manipulation of the condition $E^{A_t}(V_{t+1}) \leq V_t a$ leads to a constrained non-linear programming problem that can be solved numerically.

$$(\alpha_s^*,\alpha_f^*,w^*,k^*,a^*) = \mathop{\arg\max}_{\alpha_s,\alpha_f,w,k,a} a$$

$$\sup_{\alpha_s} \frac{1}{\alpha_s \leq 1}$$

$$0 < \alpha_f \leq 1$$

$$w > 0$$

$$0 \leq k < 1$$

$$\Psi(r) + a \leq 0, \quad r = 0,1/2,1,+\infty$$

$$\Psi(r^*) + a \leq 0, \quad r^* : \Psi'(r^*) = 0$$

where $\Psi(r)$, its derivatives and stationary points can be determined analitically.

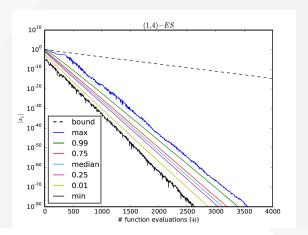
As an example, for $\alpha = 4$:

$$lpha_s^* = 1.19591$$
 $lpha_f^* = 0.42236$ $lpha^* = 1.09380$ $lpha^* = 0.29601$ $lpha^* = 0.03370$ $rac{a^*}{\lambda} = 0.00842$

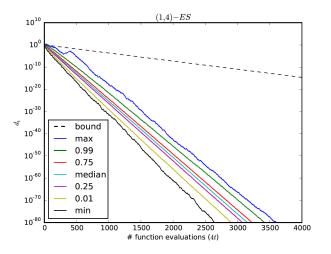
Experimental Results



Empirical quantiles of the distribution of $|x_t|$ estimated from 10001 ES runs ($\alpha_s^* = 1.19591$, $\alpha_t^* = 0.42236$ ("close" to the optimum))



Empirical quantiles of the distribution of d_t estimated from 10001 ES runs ($\alpha_s^* = 1.19591$, $\alpha_f^* = 0.42236$ ("close"to the optimum))



Miscellaneous



Felipe Campelo, Elizabeth F. Wanner:

Sample size calculations for the experimental comparison of multiple algorithms on multiple problem instances. CoRR abs/1908.01720 (2019)

CAISEr: Comparison of Algorithms with Iterative Sample Size Estimation

Carolina Gil Marcelino, Carlos E. Pedreira, Manuel Baumann, Marcel Weil, Paulo E. M. de Almeida,

A Viability Study of Renewables and Energy Storage Systems Using Multicriteria Decision Making and an Evolutionary Approach. EMO 2019: 655-668

Lucas S. Ferreira, Elizabeth Fialho Wanner, Adriano Chaves Lisboa, Douglas A. G. Vieira: **Portfolio selection for open-pit mining assets acquisition.** CEC 2016: 1525-1532

Miscellaneous



Pedro Silva, Eduardo Luz, Elizabeth F. Wanner, David Menotti, Gladston Moreira: QRS Detection in ECG Signal with Convolutional Network. CIARP 2018: 802-809

Rafaela Priscila Cruz Moreira, Elizabeth F. Wanner, Flávio V. C. Martins, Joao F. M. Sarubbi:

CardNutri: A Software of Weekly Menus Nutritional Elaboration for Scholar Feeding Applying Evolutionary Computation.

EvoApplications 2018: 897-913

Carolina Gil Marcelino, Leonel M. Carvalho, Paulo E. M. de Almeida, Elizabeth F. Wanner, Vladimiro Miranda: **Application of Evolutionary Multiobjective Algorithms for Solving the Problem of Energy Dispatch in Hydroelectric Power Plants.**(2) 2015: 403-417